

Algebra

2nd Sec.

Final revision



The number of terms of the sequence (7, 11, 15, ..., 271) is

(a) 34

(b) 169

(c) 67



The first negative term of the sequence (35, 33, 31, 29, ...) is

- (a) T₁₈
- (b) T₁₉
- (c) T_{36} (d) T_{24}



If we insert 7 arithmetic means between – 24, 16, then the fourth mean is

- (a) zero
- (b) 9
- (c) 1

(d) - 4



An arithmetic sequence in which $T_n = m^2$, $T_m = n^2$, then the common difference of the arithmetic sequence =

- (a) $m^2 + n^2 2$ (b) m + n
- $(c) m n \qquad (d) m + n$



If (T_n) is an arithmetic sequence in which $T_1 + T_5 + T_{10} + T_{16} = 64$, then the sum of the first 15 terms =

- (a) 120
- (b) 180

(c) 240



$$\sum_{n=1}^{\infty} n^2 = \dots$$

(a)
$$\frac{n(n+1)}{2}$$

$$\sum_{r=1}^{n} n^2 = \dots$$
(a) $\frac{n(n+1)}{2}$ (b) $\frac{n(n+1)(2n+1)}{6}$ (c) n^3



If the quantities $\frac{a}{b}$, $\frac{b}{c}$, $\frac{c}{b}$ are in arithmetically sequent, then c $(c + a) = \dots$

- (a) b^2
- (b) $4 b^2$ (c) $2 b^2$
- (d) 2 b



If the arithmetic mean of two positive numbers is 7.5 and their geometric mean is 6, then the difference between the two numbers =

(a) 3

(b) 5

(c)7



In a geometric sequence $T_1 \times T_5 = \cdots$

- (a) $(T_3)^2$ (b) $(T_1)^2$ (c) $(T_5)^2$

- (d) $(T_2)^2$



An arithmetic sequence in which $S_5 - S_4 = 20$, $S_8 - S_7 = 29$, then $T_{51} = \dots$

- (a) 49
- (b) 98

(c) 155





An infinite geometric sequence in which the first and second terms are two positive integers and their sum is 3 , then $S_\infty=\cdots\cdots\cdots$

- (a) 4
- (b) 8

(c) 64



If a and b are two arithmetic means between X and y ℓ , m are two geometric means between x and y, then $\frac{a+b}{\ell m} = \dots$ (a) $\frac{x+y}{2xy}$ (b) $\frac{2xy}{x+y}$ (c) $\frac{x+y}{xy}$ (d) $\frac{xy}{x+y}$



The sum of the sequaence (3, 6, 12, ..., 384) equals

(a) 405

(b) 567

(c) 657



The sum of the terms of the geometric sequence (81, 27, 9, ...) equals

- (a) $\frac{243}{4}$
- (b) 117
- (c) 118
- (d) $\frac{243}{2}$



An arithmetic sequence in which $\frac{T_7}{T_3} = \frac{15}{7}$, then $\frac{S_7}{S_3} = \dots$ (a) $\frac{22}{17}$ (b) $\frac{21}{5}$ (c) $\frac{16}{15}$ (d) $\frac{15}{7}$



The geometric sequence whose first term = a and its common ratio = r is increasing if

(a)
$$a > 0$$
, $-1 < r < 0$

(b)
$$a > 0$$
, $0 < r < 1$

(c)
$$a < 0, -1 < r < 0$$

(d)
$$a < 0, 0 < r < 1$$



The geometric sequence whose first term = a and its common ratio = r is decreasing if

(a)
$$a > 0$$
, $-1 < r < 0$

(b)
$$a > 0$$
, $0 < r < 1$

(c)
$$a < 0, -1 < r < 0$$

(d)
$$a < 0, 0 < r < 1$$



If the third term in a geometric sequence = 4, then the product of the first five terms is

(a) 4^2

- (b) 4^3
- (c) 4^5

(d) 4^6



The sum of the first three terms in a geometric sequence is 26. The sum of the next three terms is 702, then the sequence is

(a) (3,6,12,...)

(b) (4,6,9,...)

(c) (8, 12, 18, ...)

(d) (2,6,18,...)



(b)
$$\left(\frac{2}{3}, 2, 6, ...\right)$$

(c)
$$\left(\frac{3}{2}, 3, 6, \ldots\right)$$



 (T_n) is an arithmetic sequence in which $T_2 + T_3 = 12$ and $T_{10} = 21$

First: The sequence is

(a)
$$(-6, 2, 10, ...)$$
 (b) $(0, 4, 8, ...)$ (c) $(-3, 3, 9, ...)$ (d) $(3, 5, 7, ...)$

(b)
$$(0, 4, 8, ...)$$

$$(c) (-3,3,9,...)$$

(d)
$$(3,5,7,...)$$

Second : The sum of the first 20 terms from the sequence =

(a) 440

- (b) 390
- (c) 410



In any arithmetic sequence (T_n) , then $\frac{T_{45} + T_{51}}{T_{48}} = \cdots$

(a) 5

(b) 4

(c) 3



The sum of the series $\left(1 + \frac{1}{x} + \frac{1}{x^2} + \cdots\right)$ equals where x > 1

- (a) $\frac{1}{x-1}$
- (b) $\frac{x}{1-x}$ (c) $\frac{x}{x-1}$
- $(d) \frac{x}{x^2 1}$



The terms of an arithmetic sequence are positive, $T_7 = 2 T_4 - 6$ and the first, second and fifth terms form a geometric sequence, then the common difference of the arithmetic sequence could be

(a) 6

(b) 12

(c) 15



How many three different digit numbers could be formed from the set of digits $\{1,3,6,7\}$?

(a) 9

(b) 12

(c) 64



The number of ordered pairs (a , b) which can be formed from the elements of the set $\{1,2,3\}$ where a \neq b is

(a) 2

- (b) 3
- (c) 6



The number of ways of arranging	5 persons around a circular table is
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(a) 1

(b) 2

(c) 24



The number of ways of choosing a book and a magazine from a set of 6 books and	i 7
magazines is ······	

(a) 42

(b) 13

(c) 1



If $\underline{n} = a$, then $\underline{n-1} = \cdots$

- (a) a 1 (b) n a

- (c) n + a



The number of ways of selecting two different letters taking order in consideration from the set of letters $\{a , b , c , d , e , f\}$ equals

- (a) ${}^{6}P_{2}$
- (b) ${}^{6}C_{2}$ (c) $(6)^{2}$

 $(d)(2)^6$



If ${}^{n}C_{r} = {}^{n}P_{r}$, then $r \in \cdots$

- (a) $\{0\}$ (b) $\{1\}$

- (c) $\{0,1\}$ (d) $\{0,2\}$



$$\frac{{}^{7}P_{r}}{{}^{7}P_{r-1}} = \cdots$$

- (a) r
- (b) r 1
- (c) 7 r (d) 8 r



The solution set of the equation ${}^{11}C_r = {}^{11}C_{2r+2}$ is

- (a) $\{3\}$ (b) $\{-3\}$ (c) $\{3,-3\}$ (d) $\{6\}$



If $\underline{n+1} = 30 \ \underline{n-1}$, then $n = \cdots$

- (a) 5
- (b) 6

(c) 29



The solution set of the equation : $\frac{|x|}{10} = x^{-1}P_{x-3}$ is

(a) $\{5\}$

- (b) {6}
- (c) $\{7\}$

(d) $\{8\}$



If $\lfloor n-5 \rfloor = 1$, then $n \in \cdots$

- (a) $\{6\}$
- (b) $\{5,6\}$ (c) $\{1\}$

(d) $\{5\}$



By how many ways a man and two women can be elected to form a comittee from 5 men and 14 women?

- (a) ${}^{5}C_{1} \times {}^{14}C_{2}$ (b) ${}^{19}C_{3}$
- (c) ${}^{5}P_{1} \times {}^{14}P_{2}$ (d) ${}^{19}P_{3}$



If
$$\frac{|2 n| |n-1|}{|2 n-1| |n+1|} = \frac{1}{3}$$
, then $n = \dots$

(a) 3

(b) 5

(c) 7



If ${}^{n}P_{r} = 60$, ${}^{n}C_{r} = 10$, then $n + r = \cdots$

(a) 3

(b) 5

(c) 8



If
$${}^{n}P_{n-3} = 20$$
, ${}^{m}C_{n} = {}^{m}C_{2n+1}$, then $m \times n = \cdots$

- (a) 20
- (b) 40
- (c) 60



If ${}^{n}P_{1} + {}^{n}C_{2} = 36$, then $n = \cdots$

(a) 9

- (b) -9 or 8 (c) 8

(d) 9 or - 8



If ${}^{n}C_{n-3} = 20$, then $n = \cdots$

(a) 3

- (b) 5
- (c) 6



If
$$^{n+1}C_{n-2} = 56$$
, then $n = \dots$

(a) 5

- (b) 6 (c) 7



If $^{n-m}P_3=210$, $^{n+m}C_4=715$, then $m\times n=\cdots\cdots$

- (a) 15 (b) 30

(c) 35